Algebra to the Core

Practice Makes Perfect

Student Activities





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Algebra to the Core Student Activity Set

In order to learn math, students must do math (NCTM 1989). So what should we have our students do? The strength of the

Algebra to the Core program is the number, variety, and quality of learning experiences provided through the instructional strategies and student activities. The practice and engagement activities provide *thinking notes* for students, plenty of practice for mastery of important skills, problems that address the four learning styles, and solution keys.



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Algebra to the Core

Student Activity Set

Table of Contents

Numeric Expressions and Order of Operations	4
Task Rotation1.3	8
Algebraic Expressions	9
Task Rotation2.3	13
Polynomials (Addition and Subtractions)	14
Task Rotation3.3	18
Solving Equations (by Inspection)	19
Task Rotation4.3	23
Understanding Functions	24
Task Rotation5.3	28
Graphing Functions	29
Task Rotation6.3	33
Linear Equations / Graphing (Method 1)	34
Task Rotation7.1.3	38
Linear Equations / Graphing (Method 2)	39
Task Rotation7.2.3	43
Polynomials (Factoring Trinomials into Binomials	44
Task Rotation8.1.3	48
Polynomials (Factoring Differences of Perfect Squares)	49
Task Rotation8.2.3	53
Polynomials (Factoring Out the GCF	54
Task Rotation8.3.3	58
Solving and Graphing Inequalities (1 Variable)	59
Solving and Graphing Inequalities (2 Variables)	65
Task Rotation9.6	69
Working with Square Roots	70
Task Rotation10.3	74

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Name	
Period	
Date	

Directions: Use the Order of Operations to simplify each numeric expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I

1	5(25) + 10 ² + 11
2	4(20) + 5 ² – 10
3	8(6) + 14 ² – 12
4	.5(22) + 4 ² + 15
5	3(15) + 5 + 6 ²

Problem Set II

1	2(15 – 10) + 7 ² + 5
2	4(10 + 2) + 9 ² – 11
3	11(8 – 6) + 12 ² – 10
4	.5(15 + 5) + 2 ² + 20
5	1.5(14 + 6) + 5 ²

1.	 10(7 – 5) + (8 – 5) ² – 30
2.	 2(–10) + (10 – 6) ² – 12
3.	 -(6 - 10) + (5 - 8) ² + 5
4.	 .5(-10 + 20) + (30 - 28) ² + 25
5.	 3(-4 + ⁻ 6) + (2.5 + 3.5) ² - 10



Solution Key

Directions: Use the Order of Operations to simplify each numeric expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I

1	5(25) + 10 ² + 11	125 + 100 + 11 = 236
2	4(20) + 5 ² – 10	80 + 25 - 10 = 95
3	8(6) + 14 ² – 12	48 + 196 - 12 = 232
4	.5(22) + 4 ² + 15	11 + 16 + 15 = 42
5	3(15) + 5 + 6 ²	45 + 5 + 36 = 86

Problem Set II

1.	 2(15 – 10) + 7 ² + 5	10 + 49 + 5 = 64
2.	 4(10 + 2) + 9 ² – 11	48 + 81 - 11 = 118
3.	 11(8 – 6) + 12 ² – 10	22 + 144 - 10 = 156
4.	 .5(15 + 5) + 2 ² + 20	10 + 4 + 20 = 34
5.	 1.5(14 + 6) + 5 ²	30 + 25 = 55

1	10(7 – 5) + (8 – 5) ² – 30	20 + 9 - 30 = -1
2	2(–10) + (10 – 6) ² – 12	-20 + 16 - 12 = -16
3	-(6 - 10) ² + (5 - 8) ² + 5	-16 + 9 + 5 = -2
4	.5(–10 + 20) + (30 – 28) ² + 25	5 + 4 + 25 = 34
5	3(-4 + ⁻ 6) + (2.5 + 3.5) ² - 10	-30 + 36 -10 = -4



Name	
Period	
Date	

Directions: Use the Order of Operations to simplify each numeric expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I

1	4(25) + 8 ² + 4
2	5(10) + 7 ² – 8
3	7(5) + 10 ² – 20
4	.5(44) + 5 ² + 5
5	2(25) + 25 + 1 ²

Problem Set II

1	6(19 – 10) + 4 ² + 20
2	4(7 + 2) + 6 ² - 10
3	4(7 – 2) + 11 ² + 10
4	.5(4 + 12) + 10 ² + 6
5	1.5(20 + 10) + 7 ²

1.	 3(20 – 5) + (5 – 2) ² – 10
2.	 2(-50) + (14 - 4) ² - 10
3.	 -(4 - 8) + (5 - 6) ² + 15
4.	 .5(-30 + 20) + (50 - 40) ² + 15
5.	 3(-2 + ⁻ 2) + (2.5 + 7.5) ² - 10



Solution Key

Directions: Use the Order of Operations to simplify each numeric expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I

1	4(25) + 8 ² + 4	100 + 64 + 4 = 168
2	5(10) + 7 ² – 8	50 + 49 - 8 = 91
3	7(5) + 10 ² – 20	35 + 100 - 20 = 115
4	.5(44) + 5 ² + 5	22 + 25 + 5 = 52
5	2(25) + 25 + 1 ²	50 + 25 + 1 = 76

Problem Set II

1	6(19 – 10) + 4 ² + 20	54 + 16 + 20 = 90
2	4(7 + 2) + 6 ² – 10	36 + 36 - 10 = 62
3	4(7 – 2) + 11 ² + 10	20 + 121 + 10 = 151
4	.5(4 + 12) + 10 ² + 6	8 + 100 + 6 = 114
5	1.5(20 + 10) + 7 ²	45 + 49 = 94

1	3(20 – 5) + (5 – 2) ² – 10	45 + 9 - 10 = 44
2	2(-50) + (14 - 4) ² - 10	-100 + 100 - 10 = -10
3	-(4 - 8) + (5 - 6) ² + 15	4 + 1 + 15 = 20
4	.5(-30 + 20) + (50 - 40) ² + 15	-5 + 100 + 15 = 110
5	3(-2 + ⁻ 2) + (2.5 + 7.5) ² - 10	-12 + 100 -10 = 78



Algebra to the Core Task Rotation Activity Numeric Expressions 1.3

Name	
Period	
Date	

Directions: Use the Order of Operations to perform each task below.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Mastery Task:

Simplify each numeric expression

- 1. $3(25) + 5^2 + 144$
- 2. $5(10-6) + 8^2 14$
- 3. $7(5+5)^2 + 10^2 30$
- 4. $.5(40 30) + 5^2 + 15$
- 5. $2(25) + 225 + 5^2$

Understanding Task:

Use the numeric expression below to develop an explanation as to why the Order of Operations is important in mathematics.





Interpersonal Task:

Choose one of the three topics below. Create a list of steps needed to perform the function. Can the steps be performed in any order? Explain. How does this relate to the Order of Operations in math?

- Making toast with margarine and jelly
- Brushing your teeth
- Making a cell phone call



Self-Expressive Task:

Use the five numbers shown below to create a numeric expression whose value is 50. Each of the five numbers must be used once and only once. No other numbers can be used. Any or all of the operations +, -, \bullet and \div , including exponents, can be used.

8, 5, 9, 3, 10



Name	
Period	
Date	

Directions: Use the Order of Operations to simplify each algebraic expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I: Use a = 2, b = 3, and c = 4.

1.	 $5(a + b) + c^2 + 6$
2.	 ab + (c + a) ² – 2

- 3. _____ $2c + (a + b)^2 + 10$
- 4. _____ .5(bc) + a² + 5
- 5. _____ $a^2 + b^2 + c^2$

Problem Set II: Use a = -2, b = 8, and c = 5.

1	$2(b - a) + c^2 + 5$
2	4(a + b) + (c - 1) ² - 1
3	1(b – c) + (a + 3) ² – 1
4	.5(c + 5) + a ² – b
5	1.5(b + 6) + a ²

Problem Set III: Use a = -2, b = 4, and c = 10.

 10(b – a) + (c – 5) ² – 6
 a(-10) + (10 - b) ² - 2c
 -(2a - 6) + (5c - 45) ² + 5b
 .5(b + 12) + (20 + ab) ² + 2c
 2.5(b) + (5.5 + 4.5) ² – ac



Solution Key

Directions: Use the Order of Operations to simplify each algebraic expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I: Use a = 2, b = 3, and c = 4.

1	$5(a + b) + c^2 + 6$	25 + 16 + 6 = 47
2	ab + (c + a) ² – 2	6 + 36 - 2 = 40
3	2c + (a + b) ² + 10	8 + 25 + 10 = 43
4	.5(bc) + a ² + 5	6 + 4 + 5 = 15
5	$a^2 + b^2 + c^2$	4 + 9 + 16 = 29

Problem Set II: Use a = -2, b = 8, and c = 5.

1	2(b – a) + c ² + 5	20 + 25 + 5 = 50
2	4(a + b) + (c - 1) ² - 1	24 + 16 - 1 = 39
3	1(b – c) + (a + 3) ² – 1	3 + 1 + - 1 = 3
4	.5(c + 5) + a ² – b	5 + 4 - 8 = 1
5	1.5(b + 6) + a ²	21 + 4 = 25

Problem Set III: Use a = -2, b = 4, and c = 10.

1	10(b – a) + (c – 5) ² – 6	60 + 25 - 6 = 79
2	a(-10) + (10 - b) ² - 2c	20 + 36 - 20 = 36
3	–(2a – 6) + (5c – 45) ² + 5b	10 + 25 + 20 = 55
4	.5(b + 12) + (20 + ab) ² + 2c	8 + 144 + 20 = 172
5	2.5(b) + (5.5 + 4.5) ² – ac	10 + 100 + 20 = 130



Name	
Period	
Date	

Directions: Use the Order of Operations to simplify each algebraic expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I: Use x = 6, y = 2 and z = 5.

1	$5(x + y) + z^2 + 1$
2	$xy + (z + y)^2 - 12$
3	$8x + (z - y)^2 + 2$

- 4. _____ .5(xz) + y² + 15
- 5. _____ $x^2 + y^2 + z^2$

Problem Set II: Use x = -2, y = 4, and z = 3.

1	$4(x - y) + z^2 + 24$
2	$2(x + y) + (z - 1)^2 - 2$
3	$(x + z) + (y - 3)^2 - 1$
4	$.5(y^2) - x + 8z$
5	1.5(yz) + x ²

Problem Set III: Use x = -4, y = 8, and z = -1.

1	$2(x - y) + (z - 5)^2 + 6$
2	x(−5) + (10 − y)² − 5z
3	–(2x – 8) + (.5y – 12) ² + 6z
4	$.5(x + 20) + (10 + yz)^2 + 2x$
5	$2.5(y) + (2.5 + 3.5)^2 - xyz$



Solution Key

Directions: Use the Order of Operations to simplify each algebraic expression.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Problem Set I: Use x = 6, y = 2 and z = 5.

1	$5(x + y) + z^2 + 1$	40 + 25 + 1 = 66
2	xy + (z + y) ² – 12	12 + 49 – 12 = 49
3	$8x + (z - y)^2 + 2$	48 + 9 + 2 = 59
4	.5(xz) + y ² + 15	15 + 4 + 15 = 34
5	$x^2 + y^2 + z^2$	36 + 4 + 25 = 65

Problem Set II: Use x = -2, y = 4, and z = 3.

1	$4(x - y) + z^2 + 24$	-24 + 9 + 24 = 9
2	$2(x + y) + (z - 1)^2 - 2$	4 + 4 - 2 = 6
3	$(x + z) + (y - 3)^2 - 1$	1 + 1 + - 1 = 1
4	$.5(y^2) - x + 8z$	8 + 2 + 24 = 34
5	1.5(yz) + x ²	6 + 4 = 10

Problem Set III: Use x = -4, y = 8, and z = -1.

1	$2(x - y) + (z - 5)^2 + 6$	-6 + 36 + 6 = 36
2	x(−5) + (10 − y)² − 5z	20 + 4 + 5 = 29
3	-(2x - 8) + (.5y - 12) ² + 6z	16 + 16 - 6 = 26
4	$.5(x + 20) + (10 + yz)^2 + 2x$	8 + 4 <i>-</i> 2 = 10
5	$2.5(y) + (2.5 + 3.5)^2 - xyz$	20 + 36 - 32 = 24



Algebra to the Core Task Rotation Activity Algebraic Expressions 2.3

Name	
Period	
Date	

Directions: Perform each math task.



Order of Operations:

Parentheses, (simplify inside symbols of inclusion)Exponents,Multiplication and Division, (as they occur left to right)Addition and Subtraction (as they occur left to right)

Mastery Task:

Simplify each algebraic expression.

x= 2, y= -3, and z= 6

- 1. $x(5 + y) + z^2$
- 2. $2(z x) + y^2 1$
- 3. $5(x + y)^2 + (y + z)^2$
- 4. $.5(yz) + (x + 2)^2 + 4$
- 5. $x^2 + y^2 + z^2$

Interpersonal Task:

Work with a partner. Let x= the number associated with the day of the month you celebrate your birthday. Let y= the number formed by the last two digits of your phone number. Evaluate the expression below and determine whose numbers generate the greatest value.

 $(x - 10)^2 - (50 - y) + 2$

Understanding Task:

The expressions below convert fahrenheit temperatures to celsius and celsius temperatures to fahrenheit. Use the expressions to convert 32° F to C, and 100° C to F.



(F° - 32) x (5 / 9) (C° x 9/5) +32

Self-Expressive Task:

Create an algebraic expression that can be used to rate a friend. For example, the variable n can be used for the number of nice things the friend has done for you. Include other variables for other characteristics. The impact of a given variable x can be controlled by it's coefficient. For example, 2x, 5x, or -2x. Try out your expression on a fictitious friend. Be prepared to share your formula with the class.



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Name	
Period	
Date	

Directions: Combine each pair of polynomials.



Combining Like Terms:

 $5x^2$ and $3x^2$ are like terms. Note that like terms can have different coefficients (5 and 3 in this example), but must have the same variable structures (x^2 and x^2) in this case. Like terms can be added or subtracted. Note: $5x^2 + 3x^2 = 8x^2$ and $5x^2 - 3x^2 = 2x^2$.

Problem Set I: Add the following polynomials.

1.	 $(4x^2 + 1) + (2x^2 + 4)$
2.	 $(3x^2 + 2x + 5) + (4x^2 + x + 1)$
3.	 $(5x^2 + 3x + 2) + (5x^2 + 6x + 8)$
4.	 $(8x^2 + 7x + 15) + (3x^2 + x + 5)$
5.	 $(3a^2 + 5) + (2a^2 + 6)$

Problem Set II: Add or subtract the following polynomials.

1.	 $(2x^2 + 4x + 8) + (3x^2 - 2x - 3)$
2.	 $(9x^2 + 7x + 3) + (2x^2 - 3x + 4)$
3.	 $(6x^2 + 5x + 12) - (3x^2 + x + 4)$
4.	 $(7a^2 + 6b + 2) - (5a^2 + 4b + 1)$
5.	 $(6y^2 + 6x + 1) - (4y^2 + 5y + 1)$

1.	 $(5x^2 - 3x + 2) + (5x^2 - 4x - 3)$
2.	 $(2x^2 - 5x - 9) + (-3x^2 - x - 5)$
3.	 $(3x^2 + 2x + 1) - (-3x^2 - 2x - 5)$
4.	 $(6y^2 + 9y + 3) - (5y^2 - 3y + 3)$
5.	 (8a ² + 4b - 1) + (2a ² - 5b - 1)



Solution Key

Directions: Combine each pair of polynomials.



Combining Like Terms:

 $5x^2$ and $3x^2$ are like terms. Note that like terms can have different coefficients (5 and 3 in this example), but must have the same variable structures (x^2 and x^2) in this case. Like terms can be added or subtracted. Note: $5x^2 + 3x^2 = 8x^2$ and $5x^2 - 3x^2 = 2x^2$.

Problem Set I: Add the following polynomials.

1	$(4x^2 + 1) + (2x^2 + 4)$	6x ² + 5
2	$(3x^2 + 2x + 5) + (4x^2 + x + 1)$	$7x^2 + 3x + 6$
3	$(5x^2 + 3x + 2) + (5x^2 + 6x + 8)$	10x ² + 9x + 10
4	(8x ² + 7x + 15) + (3x ² + x + 5)	$11x^2 + 8x + 20$
5	(3a ² + 5) + (2a ² + 6)	5a ² + 11

Problem Set II: Add or subtract the following polynomials.

1	$(2x^2 + 4x + 8) + (3x^2 - 2x - 3)$	5x ² + 2x + 5
2	$(9x^2 + 7x + 3) + (2x^2 - 3x + 4)$	$11x^2 + 4x + 7$
3	(6x ² + 5x + 12) - (3x ² + x + 4)	$3x^2 + 4x + 8$
4	(7a ² + 6b + 2) - (5a ² + 4b + 1)	2a ² + 2b + 1
5	$(6y^2 + 6x + 1) - (4y^2 + 5y + 1)$	2y ² + y

1	$(5x^2 - 3x + 2) + (5x^2 - 4x - 3)$	10x ² – 7x – 1
2	$(2x^2 - 5x - 9) + (-3x^2 - x - 5)$	-x ² - 6x - 14
3	$(3x^2 + 2x + 1) - (-3x^2 - 2x - 5)$	$6x^2 + 4x + 6$
4	$(6y^2 + 9y + 3) - (5y^2 - 3y + 3)$	y ² + 12y
5	(8a ² + 4b - 1) + (2a ² - 5b - 1)	10a ² – b – 2



Name	
Period	
Date	

Directions: Combine each pair of polynomials.



Combining Like Terms:

 $5x^2$ and $3x^2$ are like terms. Note that like terms can have different coefficients (5 and 3 in this example), but must have the same variable structures (x^2 and x^2) in this case. Like terms can be added or subtracted. Note: $5x^2 + 3x^2 = 8x^2$ and $5x^2 - 3x^2 = 2x^2$.

Problem Set I: Add the following polynomials.

1.	 (2t ² + 6) + (8t ² + 4)
2.	 $(7m^2 + 3m + 8) + (7m^2 + 3m + 8)$
3.	 $(8x^2 + 6x + 4) + (2x^2 + 6x + 7)$
4.	 $(9y^2 + 5y + 6) + (7y^2 + y + 8)$
5.	 $(8a^2 + 4) + (6a^2 + 4)$

Problem Set II: Add or subtract the following polynomials.

1	$(5x^2 + 5x + 7) + (2x^2 - 2x - 6)$
2	(7m ² + 4m + 7) + (5m ² – 3m + 6)
3	$(2a^2 + a + 1) - (3a^2 + 2a + 2)$
4	(9a ³ + 6a ² + 2a) - (4a ³ + 4a ² + a)
5	$(8y^2 + 4y + 5) - (6y^2 + y + 3)$

1.	 $(9x^2 - 9x + 9) + (4x^2 - 6x - 8)$
2.	 $(-2x^2 - 4x - 3) + (-2x^2 - 2x - 8)$
3.	 $(2y^5 + 2y^3 + 9) - (-2y^5 - 4y^3 - 1)$
4.	 $(10y^2 + y) - (5y^2 - 10y + 3)$
5.	 (a ² + 6b - c) + (6a ² - 6b - 4d)



Solution Key

Directions: Combine each pair of polynomials.



Combining Like Terms:

 $5x^2$ and $3x^2$ are like terms. Note that like terms can have different coefficients (5 and 3 in this example), but must have the same variable structures (x^2 and x^2) in this case. Like terms can be added or subtracted. Note: $5x^2 + 3x^2 = 8x^2$ and $5x^2 - 3x^2 = 2x^2$.

Problem Set I: Add the following polynomials.

1.	 (2t ² + 6) + (8t ² + 4)	10t ² + 10
2.	 (7m ² + 3m + 8) + (7m ² + 3m + 8)	14m ² + 6m + 16
3.	 $(8x^2 + 6x + 4) + (2x^2 + 6x + 7)$	$10x^2 + 12x + 11$
4.	 $(9y^2 + 5y + 6) + (7y^2 + y + 8)$	16y ² + 6y + 14
5.	 (8a ² + 4) + (6a ² + 4)	14a ² + 8

Problem Set II: Add or subtract the following polynomials.

1	$(5x^2 + 5x + 7) + (2x^2 - 2x - 6)$	7x ² + 3x + 1
2	(7m ² + 4m + 7) + (5m ² – 3m + 6)	12m ² + m + 13
3	$(2a^2 + a + 1) - (3a^2 + 2a + 2)$	–a² – a – 1
4	$(9a^3 + 6a^2 + 2a) - (4a^3 + 4a^2 + a)$	5a ³ + 2a ² + a
5	$(8y^2 + 4y + 5) - (6y^2 + y + 3)$	2y ² + 3y + 2

1	$(9x^2 - 9x + 9) + (4x^2 - 6x - 8)$	13x ² – 15x + 1
2	$(-2x^2 - 4x - 3) + (-2x^2 - 2x - 8)$	-4x ² - 6x - 11
3	$(2y^5 + 2y^3 + 9) - (-2y^5 - 4y^3 - 1)$	4y ⁵ + 6y ³ + 10
4	$(10y^2 + y) - (5y^2 - 10y + 3)$	5y ² + 11y – 3
5	(a ² + 6b – c) + (6a ² – 6b – 4d)	7a² – 12b – c – 4d



Algebra to the Core Task Rotation Activity Combining Polynomials 3.3

Name	
Period	
Date	
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Directions: Perform each math task.



Combining Like Terms:

 $5x^2$ and $3x^2$ are like terms. Note that like terms can have different coefficients (5 and 3 in this example), but must have the same variable structures (x^2 and x^2) in this case. Like terms can be added or subtracted. Note: $5x^2 + 3x^2 = 8x^2$ and $5x^2 - 3x^2 = 2x^2$.

Mastery Task:

Combine the polynomials.

- 1. $(4t^2 + 8) + (2t^2 10)$
- 2. $(4x^2 + 2x + 1) + (x^2 + 2x + 4)$
- 3. $(3a^2 + b) + (2a^2 + b)$
- 4. $(6m^2 + 2m + 1) + (5m^2 2m + 1)$
- 5. $(5x^2 + y^2 + z^2) (6x^2 + y^2 z^2)$

Understanding Task:

Explain how the rules for combining polynomials is similar to the rules for adding and subtracting fractions. Use the examples below in your argument.

$$(2x^2 + 3x + 2) + (4x^2 - 1x + 6)$$

Interpersonal Task:

Work with a partner. Study the progression of polynomials below. Identify and use the pattern to determine the next two polynomials. Find the sum of all five polynomials.

$$2x^{2} - 5x + 4$$

$$5x^{2} + 11x + 9$$

$$11x^{2} - 23x + 19$$

Self-Expressive Task:

Assume that the length and width of a rectangle are represented by $(6x^2 + 4x + 1)$ and $(3x^2 - x)$. Compute the perimeter of the rectangle. Assume that x=1. What are the numeric values of the length and width of the rectangle? Does the numeric value of the perimeter equal the polynomial value of the perimeter? How can you verify that both answers are the same?

 $(6x^2 + 4x + 1)$

 $(3x^2 - x)$



Name	
Period	
Date	

Directions: Solve each equation for x. Check your answer by substituting and evaluating both sides of the equation.

Solving an Equation by Inspection



- Step 1: Identify and hide the variable term.
- Step 2. Determine what number is needed to balance the equation.
- Step 3: Reveal the variable expression and determine the value of x needed to solve the equation.
- Step 4: Substitute and check your answer.

Problem Set I

1	6x + 6 = 18
2	5x + 11 = 46
3	2x + 5 = 25
4	.5x + 10 = 14
5	$x^2 + 11 = 20$

Problem Set II

1	3x - 5 = 10
2	2(x + 1) + 2 = 14
3	$2x^2 + 9 = 59$
4	.5x - 4 = -6
5	$x^2 + 1 = 50$

1.	 2.5x + 5 = 20
2.	 2(x + 5) + 10 = 28
3.	 $4x^2 + 6 = 60$
4.	 .5x - 2 = 10
5.	 $x^2 - 25 = 75$



Solution Key

Directions: Solve each equation for x. Check your answer by substituting and evaluating both sides of the equation.



Solving an Equation by Inspection

Step 1: Identify and hide the variable term.

- Step 2. Determine what number is needed to balance the equation.
- Step 3: Reveal the variable expression and determine the value of x needed to solve the equation.

Step 4: Substitute and check your answer.

Problem Set I

1	6x + 6 = 18	x = 2
2	5x + 11 = 46	x = 7
3	2x + 5 = 25	x = 10
4	.5x + 10 = 14	x = 8
5	$x^2 + 11 = 20$	x = +3 or -3

Problem Set II

1	3x - 5 = 10	x = 5
2	2(x + 1) + 2 = 14	x = 5
3	$2x^2 + 9 = 59$	x = 5 or -5
4	.5x - 4 = -6	x = - 4
5	$x^2 + 1 = 50$	x = 7 or -7

1	2.5x + 5 = 20	x = 6
2	2(x + 5) + 10 = 28	x = 4
3	$4x^2 + 6 = 60$	x = 4 or x = - 4
4	.5x - 2 = 10	x = 24
5	$x^2 - 25 = 75$	x = 10 or –10



Name	
Period	
Date	

Directions: Solve each equation for x. Check your answer by substituting and evaluating both sides of the equation.



Solving an Equation by Inspection

Step 1: Identify and hide the variable term.

- Step 2. Determine what number is needed to balance the equation.
- Step 3: Reveal the variable expression and determine the value of x needed to solve the equation.

Step 4: Substitute and check your answer.

Problem Set I

1	7x + 6 = 48
2	11x + 2 = 35
3	2x + 28 = 30
4	.5x + 16 = 20
5.	x ² + 50 = 150

Problem Set II

1.	 8x - 4 = 20
2.	 2(x + 5) + 2 = 20
3.	 $2x^2 + 12 = 30$
4.	 .5x - 3 = 0
5.	 $x^2 + 16 = 20$

1	2.5x + 5 = 30
2	2(x + 3) + 10 = 26
3	$7x^2 + 7 = 70$
4	.5x + 3 = 10
5	$x^2 - 11 = 70$



Solution Key

Directions: Solve each equation for x. Check your answer by substituting and evaluating both sides of the equation.



Solving an Equation by Inspection

Step 1: Identify and hide the variable term.

- Step 2. Determine what number is needed to balance the equation.
- Step 3: Reveal the variable expression and determine the value of x needed to solve the equation.

Step 4: Substitute and check your answer.

Problem Set I

1	7x + 6 = 48	x = 6
2	11x + 2 = 35	x = 3
3	2x + 28 = 30	x = 1
4	.5x + 16 = 20	x = 8
5	$x^2 + 50 = 150$	x = +10 or -10

Problem Set II

1	8x - 4 = 20	x = 3
2	2(x + 5) + 2 = 20	x = 4
3	$2x^2 + 12 = 30$	x = 3 or -3
4	.5x - 3 = 0	x = 6
5	$x^2 + 16 = 20$	x = 2 or -2

1	2.5x + 5 = 30	x = 10
2	2(x + 3) + 10 = 26	x = 5
3	$7x^2 + 7 = 70$	x = 3 or x = - 3
4	.5x + 3 = 10	x = 14
5	$x^2 - 11 = 70$	x = 9 or –9



Algebra to the Core Task Rotation Activity Solving Equations 4.3

Name	
Period	
Date	
Date	

Directions: Perform each math task.



Solving an Equation by Inspection

- Step 1: Identify and hide the variable term.
- Step 2. Determine what number is needed to balance the equation.
- Step 3: Reveal the variable expression and determine the value of x needed to solve the equation.

Step 4: Substitute and check your answer.

Mastery Task:

Solve by Inspection.

- 1. $4t^2 + 8 = 44$
- 2. 8x + 4 = 60
- 3. 5(x 1) = 45
- 4. .5x + 18 = 22
- 5. $5x^2 + 4 = 40$

Interpersonal Task:

Work with a partner. Create an equation of the form ax + b = c so the solution x equals the number of the month you were born (1, 2, 3, ... 12). Check to make sure your equation works and swap equations with a partner and solve each others' equation.

Understanding Task:

Explain how the process of solving an equation by inspection can be used to solve an equation with fraction, like the two below.

$$2x + 4\frac{1}{2} = 5$$
$$3x + 6\frac{1}{4} = 7$$

Self-Expressive Task:

Create five equations of the form

The solutions of your equations should be five different prime numbers. Solve and check your equations to be sure they work. Be prepared to share your equations with the class.



Name	
Period	
Date	
Bate	

Directions: Read and answer each question.

What is a function?



A function is a specified or non-specified relationship between the elements of a domain and the corresponding elements of a range. For a function to occur, each element of the domain must correspond to one and only one element in the range.

Complete the function diagram.

function rule: double and add five



T- tables

Use y = 5x + 1 to complete the T-table.



Each relation represents a function. Discover the rule and complete each relation. A: { (-3, -6), (-2, -4), (-1, -2), (0, 0), (1, 2), (2,), (3,), (4,), (5,), (x,)} B: { (-3, -1), (-2, 0), (-1, 1), (0, 2), (1, 3), (2,), (3,), (4,), (5,), (x,)} C: { (-3, 9), (-2, 4), (-1, 1), (0, 0), (1, 1), (2,), (3,), (4,), (5,), (x,)} D: { (-3, -5), (-2, -4), (-1, -3), (0, -2), (1, -1), (2,), (3,), (4,), (5,), (x,)}

Representations of functions: Use the rule 'Take half and add one', along with the domain elements –4, –2, 0, 2, 4, 6, and create and complete a function diagram, a relation, and a T-table.



Solution Key

Directions: Read and answer each question.

What is a function?



Complete the function diagram.

function rule: double and add five



T- tables

Use y = 5x + 1 to complete the T-table.

X	У
0	1
1	6
2	11
3	16
4	21
5	26

Each relation represents a function. Discover the rule and complete each relation. A: { (-3, -6), (-2, -4), (-1, -2), (0, 0), (1, 2), (2, 4), (3, 6), (4, 8), (5, 10), (x, 2x) } B: { (-3, -1), (-2, 0), (-1, 1), (0, 2), (1, 3), (2, 4), (3, 5), (4, 6), (5, 7), (x, x + 2 } C: { (-3, 9), (-2, 4), (-1, 1), (0, 0), (1, 1), (2, 4), (3, 9), (4, 16), (5, 25), (x, x^2 } D: { (-3, -5), (-2, -4), (-1, -3), (0, -2), (1, -1), (2, 0), (3, 1), (4, 2), (5, 3), (x, x - 2 }

Representations of functions: Use the rule 'Take half and add one', along with the domain elements -4, -2, 0, 2, 4, 6, and create and complete a function diagram, a relation, and a T-table. Answers should reflect the ordered pairs (-4, -1), (-2, 0), (0, 1), (2, 2), (4, 3), and (6,4).



Name	
Period	
Dete	
Date	

Directions: Read and answer each question.

What is a function?



A function is a specified or non-specified relationship between the elements of a domain and the corresponding elements of a range. For a function to occur, each element of the domain must correspond to one and only one element in the range.

Complete the function diagram.

function rule: triple and add one



T- tables

Use y = 2x - 1 to complete the T-table.



Each relation represents a function. Discover the rule and complete each relation. A: { (-3, -12), (-2, -8), (-1, -4), (0, 0), (1, 4), (2,), (3,), (4,), (5,), (x,) } B: { (-3, -6), (-2, -5), (-1, -4), (0, -3), (1, -2), (2,), (3,), (4,), (5,), (x,) } C: { (-3, -27), (-2, -8), (-1, -1), (0, 0), (1, 1), (2,), (3,), (4,), (5,), (x,) } D: { (-3, 7), (-2, 8), (-1, 9), (0, 10), (1, 11), (2,), (3,), (4,), (5,), (x,) }

Representations of functions: Use the rule 'Take 25% and add two', along with the domain elements –8, –4, 0, 4, 8, 12, and create and complete a function diagram, a relation, and a T-table.



Solution Key

Directions: Read and answer each question.

What is a function? A function is a spec

A function is a specified or non-specified relationship between the elements of a domain and the corresponding elements of a range. For a function to occur, each element of the domain must correspond to one and only one element in the range.

Complete the function diagram.

function rule: triple and add one



T- tables

Use y = 2x - 1 to complete the T-table.

X	У
0	1
1	1
2	3
3	5
4	7
5	9

Each relation represents a function. Discover the rule and complete each relation. A: { (-3, -12), (-2, -8), (-1, -4), (0, 0), (1, 4), (2, 8), (3, 12), (4, 16), (5, 20), (x, 4x) } B: { (-3, -6), (-2, -5), (-1, -4), (0, -3), (1, -2), (2, -1), (3, 0), (4, 1), (5, 2), (x, x - 3) } C: { (-3, -27), (-2, -8), (-1, -1), (0, 0), (1, 1), (2, 8), (3, 27), (4, 64), (5, 125), (x, x^3) } D: { (-3, 7), (-2, 8), (-1, 9), (0, 10), (1, 11), (2, 12), (3, 13), (4, 14), (5, 15), (x, x + 10) }

Representations of functions: Use the rule 'Take 25% and add two', along with the domain elements -8, -4, 0, 4, 8, 12, and create and complete a function diagram, a relation, and a T-table. Answers should reflect the ordered pairs (-8, 0), (-4, 1), (0, 2), (4, 3), (8, 4), and (12,5).



Algebra to the Core Task Rotation Activity Understanding Functions 5.3

Name	
Period	
Date	

Directions: Perform each math task.



What is a function?

A function is a specified or non-specified relationship between the elements of a domain and the corresponding elements of a range. For a function to occur, each element of the domain must correspond to one and only one element in the range.

Mastery Task:

Use y= 2x + 10 to complete the relation and T-table

{(0,), (1,), (2,), (3,), (4,), (5,)}	
		X	у			



Understanding Task:

Does the following constitute a function? Why or why not?



Interpersonal Task:

Work with a partner. Assume that the students in your class constitute a domain. Assume that each student was asked to report the number of hours (rounded to the nearest 1/2 hour) of television he or she watched the day before. Would the data constitute a function? Why or why not?



Self-Expressive Task:

The relation $\{(0,4), (1,3), (2,3), (3,5), (4,4), (5,4), ... \}$ is a function. Explain why. Can you guess the rule? At first glance, most people can't.

Function Rule

Create a similar function defined by an 'out of the box' rule. Provide the data to a friend. Challenge the friend to determine your function rule.



Name	
Period	
Date	

Directions: Read and answer each question.



How to graph the solution of a function:

To graph the solution of the equation y=2x + 1, identify the question being asked by the equation: 'What is one more than twice the value of x?'. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. The associated question is provided.

1) y = 2x + 5 (What is 5 more than twice the value of x?; Apply to x = 0, 1, 2, and 3.)

2) y = .5x + 10 (What is 10 more than half the value of x?; Apply to x= 0, 2, 4, and 6.)

3) $y = x^2$ (What is the square of x?; Apply to x = -4, -3, -2, -1, 0, 1, 2, 3, and 4.)



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Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a function:

To graph the solution of the equation y=2x + 1, identify the question being asked by the equation: 'What is one more than twice the value of x?'. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. The associated question is provided.

1) y = 2x + 5 (What is 5 more than twice the value of x?; Apply to x = 0, 1, 2, and 3.)

2) y = .5x + 10 (What is 10 more than half the value of x?; Apply to x= 0, 2, 4, and 6.)

3) $y = x^2$ (What is the square of x?; Apply to x = -4, -3, -2, -1, 0, 1, 2, 3, and 4.)



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Name	
Period	
Date	

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a function:

To graph the solution of the equation y=2x + 1, identify the question being asked by the equation: 'What is one more than twice the value of x?'. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. The associated question is provided.

- 1) y = -x + 5 (What is 5 more than the opposite of x?; Apply to x = 0, -3, -5, and -8.)
- 2) y = .5x 3 (What is 3 less than half the value of x?; Apply to x = 0, 4, 6, and 10.)
- 3) $y = x^2 5$ (What is 5 less than the square of x?; Apply to x = -4, -3, -2, -1, 0, 1, 2, 3, and 4.)



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Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a function:

To graph the solution of the equation y= 2x + 1, identify the question being asked by the equation: 'What is one more than twice the value of x?'. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. The associated question is provided.

- 1) y = -x + 5 (What is 5 more than the opposite of x?; Apply to x = 0, -3, -5, and -8.)
- 2) y = .5x 3 (What is 3 less than half the value of x?; Apply to x = 0, 4, 6, and 10.)
- 3) $y = x^2 5$ (What is 5 less than the square of x?; Apply to x = -4, -3, -2, -1, 0, 1, 2, 3, and 4.)



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Algebra to the Core Task Rotation Activity Graphing Functions 6.3

Name	
Period	
Date	

Directions: Perform each math task.

How to graph the solution of a function:



To graph the solution of the equation y=2x + 1, identify the question being asked by the equation: 'What is one more than twice the value of x?'. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Mastery Task:

Write the question associated with the equation y = x + 4. Apply the question to the numbers x = -2, 0, and 2, and plot the resulting points. Draw the line that contains the points. This is the graph of the solution of y = x + 4.



Understanding Task:

Use a coordinate plane to sketch the graphs of the solutions of the equations $y = x^2 + 4$ and $y = -x^2 + 4$. Describe the similarities and differences between the two graphs. What conjectures can you make regarding the negative sign (-) in front of the x, and the constant (+4) at the end of each equation?

Interpersonal Task:

The equation y = 2x + 5 is an example of an equation of the form y = (an expression of x). Virtually all equations of that form can be interpreted as a question or rule applied to various and arbitrary values of x. The question associated with y = 2x + 5 is 'What is five more than twice the value of x?'. Write the questions associated with the equations below. Share your questions with a partner. Discuss and resolve any differences that occur.

- 1. y = 5x + 1
- 2. y = .5x 1
- 3. $y = 2x^2 + 3$



Self-Expressive Task:

Write the question associated with the equation $y = \pm \sqrt{x}$. Apply the question to the numbers x= 0, 4, 9, 16, 25 and sketch the resulting graph. Use the graph to create an argument as to why the equation and graph is a function, or why the equation and graph is not a function.



Algebra to the Core Practice Makes Perfect Graphing y- mx + b, M1, 7.1.1

Name	
Period	
I CIIU	
Date	

Directions: Read and answer each question.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 2x + 3 (Determine the question. Apply the question to x = 0, 2, and 4.)
- 2) y = .5x + 2 (Determine the question. Apply the question to x = 0, 6, and 10.)
- 3) y = -x + 4 (Determine the question. Apply the question to x = -6, -3, and 0.)



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Algebra to the Core Practice Makes Perfect Graphing y- mx + b, M1, 7.1.1

Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 2x + 3 (Determine the question. Apply the question to x = 0, 2, and 4.)
- 2) y = .5x + 2 (Determine the question. Apply the question to x = 0, 6, and 10.)
- 3) y = -x + 4 (Determine the question. Apply the question to x = -6, -3, and 0.)



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Algebra to the Core Practice Makes Perfect Graphing y- mx + b, M1, 7.1.2

Name	
Period	
Date	

Directions: Read and answer each question.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 3x 2 (Determine the question. Apply the question to x = 0, 2, and 4.)
- 2) y = .5x 1 (Determine the question. Apply the question to x = 0, 6, and 10.)
- 3) y = -x + 6 (Determine the question. Apply the question to x = -6, -3, and 0.)



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Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 3x 2 (Determine the question. Apply the question to x = 0, 2, and 4.)
- 2) y = .5x 1 (Determine the question. Apply the question to x = 0, 6, and 10.)
- 3) y = -x + 6 (Determine the question. Apply the question to x = -6, -3, and 0.)



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Algebra to the Core Task Rotation Activity Graphing y- mx + b, M1, 7.1.3

Name	
Period	
Date	
Build	

Directions: Perform each math task.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers

asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (–) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Mastery Task:

Write the question associated with the equation y = .5x + 1. Apply the question to the numbers x = -2, 2, and 4, and plot the resulting points. Draw the line that contains the points. This is the graph of the solution of y = .5x + 1.



Understanding Task:

The number b in the equation y= mx + b is often referred to as the y-intercept of the graph of the solution of the equation y= mx + b. Write an explanation as to why this is the case.

Interpersonal Task:

The Rapid Ride Taxi company charges a \$4.00 pick-up fee plus \$1.25 for each mile traveled. Work with a partner. Write an equation that delivers the cost (y) of a taxi ride of x miles. Your equation should be in the form y=mx + b, where m and b are numbers. Sketch the graph of your equation. How can your graph be used to determine the cost of various taxi rides?



Self-Expressive Task:

Create a linear equation of the form y = mx + b so the graph of the solution of the equation resides only in quadrants I, II, and IV of the coordinate plane.

Repeat this challenge for quadrants II, III, and IV.





Name	
Period	
Date	

Directions: Read and answer each question.



How to graph the solution of a linear equation, y = mx + b: Method 2 To graph the solution of the equation y = mx + b, using the speedy method, follow these steps. 1) Place a point on the y-axis b units from the origin (this point is the y-intercept. 2) Write m as a fraction v/h. 3) Place a second point h units horizontally and v units vertically from the y-intercept. 4) Draw the line that contains both points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 2x + 3
- 2) y = .5x + 2
- 3) y = -x + 4



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Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a linear equation, y = mx + b: Method 2 To graph the solution of the equation y = mx + b, using the speedy method, follow these steps. 1) Place a point on the y-axis b units from the origin (this point is the y-intercept. 2) Write m as a fraction v/h. 3) Place a second point h units horizontally and v units vertically from the y-intercept. 4) Draw the line that contains both points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 2x + 3 Plot the y-intercept (0,3). Use m = 2/1 to plot a second point (1,5).
- 2) y = .5x + 2 Plot the y-intercept (0,2). Use m = 1/2 to plot a second point (2,3).
- 3) y = -x + 4 Plot the y-intercept (0,4). Use m = -1/1 to plot a second point (1,3).



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Name	
Period	
Date	

Directions: Read and answer each question.



How to graph the solution of a linear equation, y = mx + b: Method 2 To graph the solution of the equation y = mx + b, using the speedy method, follow these steps. 1) Place a point on the y-axis b units from the origin (this point is the y-intercept. 2) Write m as a fraction v/h. 3) Place a second point h units horizontally and v units vertically from the y-intercept. 4) Draw the line that contains both points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 3x 2
- 2) y = .5x 1
- 3) y = -x + 6



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Solution Key

Directions: Sketch the graph of the solution of each equation.



How to graph the solution of a linear equation, y = mx + b: Method 1 To graph the solution of the equation y = mx + b, identify the question being asked by the equation. Apply the question to arbitrary values of x (numbers associated with the x-axis of a coordinate plane). Plot points, above (+) or below (-) each x number, a number of units equal to the answer to the question. Draw the line that contains the plotted points.

Graph the solution of each equation. Determine the question being asked.

- 1) y = 3x 2 Plot the y-intercept (0,-2). Use m= 3/1 to plot a second point (1,1).
- 2) y = .5x 1 Plot the y-intercept (0,-1). Use m = 1/2 to plot a second point (2,0).
- 3) y = -x + 6 Plot the y-intercept (0,6). Use m = -1/1 to plot a second point (1,5).



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Algebra to the Core Task Rotation Activity Graphing y- mx + b, M2, 7.2.3

the line that contains both points.

Name	
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Perioa	
Date	

Directions: Perform each math task.



How to graph the solution of a linear equation, y = mx + b: Method 2 To graph the solution of the equation y = mx + b, using the speedy method, follow these steps. 1) Place a point on the y-axis b units from the origin (this point is the y-intercept. 2) Write m as a fraction v/h. 3) Place a second point h units horizontally and v units vertically from the y-intercept. 4) Draw

Mastery Task:

Use the speedy method to draw the line that represents the graph of the solution of y=4x-1.



Understanding Task:

The number m in the equation y= mx + b is often referred to as the slope of the graph of y= mx + b. Write an explanation as to why this is the case.

Self-Expressive Task:

Create a way to determine the slope m of the line that represents the slope of the roller coaster track shown to the right.

Interpersonal Task:

The image of a jet taking off is shown in reference to a coordinate plane. Use your knowledge of graphs of linear equations to write the equation y = mx + b that represents the line of flight during take off.







Name	
Period	
Date	

Directions: Factor each trinomial into the product of two binomials.

Factoring $ax^2 + bx + c$



The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and b in the south.
Step 3: Find two factors of ac that add to b and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.



Step 5: Use the east and west ratios to write your answer.

Problem Set I

1	$x^2 + 7x + 10$
2	$2x^2 + 9x + 12$
3	x ² + 12x + 35
4	5x ² + 17x + 6
5	6x² + 13x + 2

Problem Set II

1	x ² + 8x + 15
2	$6x^2 + 11x + 4$
3	$x^2 + 4x - 12$
4	$6x^2 + 7x + 2$
5	2x² – 11x + 9

1	x² – 5x – 14
2	$6x^2 - 19x + 8$
3	5x ² – 16x + 12
4	$8x^2 + 22x + 5$
5	$7x^2 - 9x + 2$



Solution Key

Directions: Factor each trinomial into the product of two binomials.

Factoring $ax^2 + bx + c$



The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and b in the south.
Step 3: Find two factors of ac that add to b and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.
Step 5: Use the east and west ratios to write your answer.



Problem Set I

1	x ² + 7x + 10	(x+2)(x+5)
2	$2x^2 + 9x + 12$	(2x + 3) (x + 4)
3	x ² + 12x + 35	(x + 7) (x + 5)
4	$5x^2 + 17x + 6$	(5x + 2) (x + 3)
5	$6x^2 + 13x + 2$	(6x + 1) (x + 2)

Problem Set II

1	_ x ² + 8x + 15	(x + 5) (x + 3)
2	- 6x ² + 11x + 4	(2x + 1) (3x + 4)
3	_ x ² + 4x - 12	(x – 2) (x + 6)
4	$- 6x^2 + 7x + 2$	(3x + 2) (2x + 1)
5	_ 2x ² – 11x + 9	(x – 1) (2x – 9)

1	_ x ² – 5x – 14	(x – 7) (x + 2)
2	$6x^2 - 19x + 8$	(2x – 1) (3x – 8)
3	_ 5x ² – 16x + 12	(x – 2) (5x – 6)
4	$- 8x^2 + 22x + 5$	(4x + 1)(2x + 5)
5	$7x^2 - 9x + 2$	(x – 1)(7x – 2)



Name _____ Period _____ Date _____

Directions: Factor each trinomial into the product of two binomials.

Factoring $ax^2 + bx + c$



The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and b in the south.
Step 3: Find two factors of ac that add to b and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.

Step 5: Use the east and west ratios to write your answer.



Problem Set I

1	$x^2 + 9x + 20$
2	$2x^2 + 3x + 1$
3	$x^2 + 9x + 20$
4	$9x^2 + 18x + 8$
5	5x ² + 26x + 5

Problem Set II

1	$x^2 + 11x + 24$
2	$6x^2 + 13x + 6$
3	$x^2 + 3x - 28$
4	6x ² - x - 12
5	$2x^2 - 7x + 3$

1	$x^2 - 6x + 9$
2	$6x^2 - 13x + 6$
3	$x^2 - 14x + 48$
4	$8x^2 + 30x + 25$
5	x² – 14x + 49



Solution Key

Directions: Factor each trinomial into the product of two binomials.

Factoring $ax^2 + bx + c$



The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and b in the south.
Step 3: Find two factors of ac that add to b and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.
Step 5: Use the east and west ratios to write your answer.



Problem Set I

1	$x^2 + 9x + 20$	(x + 4) (x + 5)
2	$2x^2 + 3x + 1$	(2x + 1)(x + 1)
3	$x^2 + 9x + 20$	(x + 4) (x + 5)
4	$9x^2 + 18x + 8$	(3x + 2) (3x + 4)
5	$5x^2 + 26x + 5$	(5x + 1) (x + 5)
Problem Set II		
1	$x^{2} + 11x + 24$	(x+8)(x+3)
2	6x ² + 13x + 6	(2x + 3)(3x + 2)

3	x ² + 3x – 28	(x-4)(x+7)
4	6x ² – x – 12	(3x + 4) (2x – 3)
5	$2x^2 - 7x + 3$	(x-3)(2x-1)

1	$x^2 - 6x + 9$	(x – 3) (x – 3)
2	$6x^2 - 13x + 6$	(2x – 3) (3x – 2)
3	$x^2 - 14x + 48$	(x – 8) (x – 6)
4	$8x^2 + 30x + 25$	(4x + 5) (2x + 5)
5	$x^2 - 14x + 49$	(x – 7) (x – 7)



Algebra to the Core Task Rotation Activity Factoring Trinomials 8.1.3

Name _____ Period _____ Date _____

Directions: Perform each math task.



Factoring $ax^2 + bx + c$

The big X factoring procedure can be used as follows. Step 1. Draw a big X. Step 2: Write ac in the north quadrant and b in the south. Step 3: Find two factors of ac that add to b and write

- them in the east and west quadrants.
- Step 4: Divide the east and west numbers by a.
- Step 5: Use the east and west ratios to write your answer.



Mastery Task:

Factor each trinomial.

- 1. $2x^2 + 13x + 20$
- 2. $3x^2 + 17x + 20$
- 3. $x^2 + 7x + 6$



Interpersonal Task:

Find the square roots of the following numbers. 16, 25, 100, 64. What does it mean for a number to be the square root of another number? Work with a partner and find the square roots of the trinomials below.

- 1. $x^2 + 8x + 16$
- 2. $x^2 + 20x + 100$

Understanding Task:

Factor the expressions

 $x^{2} + 6x + 9$ and $x^{2} + 10x + 25$.

What do you notice about your answers? These trinomials are perfect square trinomials. How are these similar to a perfect square whole number? How can you determine whether or not a trinomial is a perfect square trinomial?

Self-Expressive Task:

Create two different perfect square trinomials (different from ones that appear on this page). Factor each and use the FOIL method to check your answers.

Extra Challenge for Experts: Create a perfect square trinomial of the form $x^2 - bx + c$. Is this possible? Why or why not?



Name	
Period	
Date	

Directions: Factor each difference of perfect squares into the product of two binomials.

Factoring $ax^2 - c^2$

The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and 0 in the south.
Step 3: Find two factors of ac that add to 0 and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.
Step 5: Use the east and west ratios to write your answer.



Problem Set I

1	4x ² - 25
2	16x ² – 9
3	x ² – 49
4	x ² – 36
5	9x ² – 100

Problem Set II

1	x ² - 1
2	$49x^2 - 4$
3	x ² - 64
4	16x ² – 25
5	25x ² – 9

1.	 x ² – 100
2.	 121x ² – 1
3.	 144x ² – 16
4.	 400x ² – 25
5.	 225x ² – 4



Solution Key

Directions: Factor each difference of perfect squares into the product of two binomials.

Factoring $ax^2 - c^2$

The big X factoring procedure can be used as follows.
Step 1. Draw a big X.
Step 2: Write ac in the north quadrant and 0 in the south.
Step 3: Find two factors of ac that add to 0 and write them in the east and west quadrants.
Step 4: Divide the east and west numbers by a.
Step 5: Use the east and west ratios to write your answer.



Problem Set I

5.

1	4x ² – 25	(2x + 5) (2x – 5)
2	16x ² – 9	(4x + 3) (4x – 3)
3	x ² – 49	(x + 7) (x – 7)
4	x² - 36	(x + 6) (x – 6)
5	9x ² – 100	(3x + 10) (3x – 10)
Problem Set II		
1	x ² - 1	(x + 1) (x – 1)
2	$49x^2 - 4$	(7x + 2) (7x – 2)
3	x ² - 64	(x + 8) (x - 8)
4	16x² – 25	(4x + 5) (4x – 5)
5	25x ² – 9	(5x + 3) (5x – 3)
Problem Set III		
1	x ² – 100	(x + 10) (x – 10)
2	121x ² – 1	(11x + 1) (11x – 1)
3	144x ² – 16	(12x + 4) (12x – 4)
4.	400x ² – 25	(20x + 5) (10x - 5)

 $225x^2 - 4$ (15x + 2) (15x - 2)



Name	
Period	
Date	

Directions: Factor each difference of perfect squares into the product of two binomials.

Factoring $ax^2 - c^2$ (Traditional Method)



Step 1. Draw two sets of parentheses
Step 2: Write the square root of ax² in the first space of each binomial.
Step 3: Write the square root of c² in the last space of each binomial.
Step 4: Write a + sign in one binomial and a - in the other binomial.
Step 5: Check your answer using the Foil Method

Problem Set I

1	9x ² – 16
2	25x ² - 4
3	64 ² – 1
4	x ² - 49
5	36x ² – 81

Problem Set II

1	x² - 100
2	$25x^2 - 9y^2$
3	a² – 16b²
4	$144x^2 - y^2$
5	$49x^2y^2 - 9$

1	(x + y) ² – 25
2	$(a + 6)^2 - y^2$
3	(1/4)x ² – 49
4	(1/9)x ² – 196
5	81x ⁴ – 4



Solution Key

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Directions: Factor each difference of perfect squares into the product of two binomials.

Factoring $ax^2 - c^2$ (Traditional Method)

Step 1. Draw two sets of parentheses



each binomial. (F Step 3: Write the square root of c² in the last space of each binomial. Step 4: Write a + sign in one binomial and a – in the other binomial. Step 5: Check your answer using the Foil Method

Step 2: Write the square root of ax² in the first space of

Problem Set I

1	 9x² – 16	(3x + 4) (3x – 4)
2	 25x ² – 4	(5x + 2) (5x – 2)
3	 64 ² – 1	(8x + 1) (8x – 1)
4	 x ² – 49	(x + 7) (x - 7)
5	 36x ² – 81	(6x + 9) (6x - 9)

Problem Set II

1	x ² – 100	(x + 10) (x – 10)
2	$25x^2 - 9y^2$	(5x + 3y) (5x – 3y)
3	a² – 16b²	(a + 4b) (a – 4b)
4	$144x^2 - y^2$	(12x + y) (12x – y)
5	$49x^2y^2 - 9$	(7xy + 3) (7xy – 3)

1	(x + y) ² – 25	((x + y) + 5) ((x + y) – 5)
2	$(a + 6)^2 - y^2$	((a + 6) + y) ((a + 6) – y)
3	(1/4)x ² – 49	((1/2)x + 7) ((1/2)x – 7)
4	(1/9)x ² – 196	((1/3)x + 14) ((1/3)x – 14)
5	81x ⁴ – 4	(9x ² + 2) (9x ² - 2)



Algebra to the Core **Task Rotation Activity Factoring Differences of** Perfect Squares 8.2.3

Name	
Period	
Date	

(F L)(F L)

Directions: Perform each math task.

Factoring $ax^2 - c^2$ (Traditional Method)



Step 1. Draw two sets of parentheses. Step 2: Write the square root of ax² in the first

- space of each binomial.
- Step 3: Write the square root of c² in the last space of each binomial.

Step 4: Write a + sign in one binomial and a – in the other binomial. Step 5: Check your answer using the Foil Method

Mastery Task:

Factor each difference of perfect squares.

- 1. $x^2 81$
- 2. $4x^2 64$
- 3. $121x^2 225$

Understanding Task:

In this lesson, you learned how to factor expressions that are differences of perfect squares, like the ones shown below.

 x^{2} - 9 and $9x^{2}$ - 25.

Sums of perfect squares, like

cannot be factored into the product of two binomials. Work with a partner, launch an investigation, and explain why this is the case.

Interpersonal Task:

This lesson showed two ways to factor a difference of two perfect squares: the big X method and the parentheses method. Work with a partner and factor each expression below using both methods. Which method do you like best and why?

- 1. x² 16
- 9x² 4 2.



Self-Expressive Task:

Create a difference of perfect squares binomial that contains all the digits of the room number of the room you are in (additional digits are allowed). Factor your expression. Use the FOIL method to check your answer.

If, for some reason, your room does not have a room number, use the digits 8, 4, and 1.



Name	
Period	
Date	
Bato	

Directions: For each polynomial, factor out the GCF and factor the remaining polynomial when possible.

Factoring $akx^2 + bkx + kc$ or $akx^2 - bky^2$.



Step 1: Identify the greatest common factor
Step 2: Divide each term of the polynomial by the GCF.
Step 4: Write the original polynomial in factored form GCF (remaining polynomial)
Step 5: When possible, factor the remaining polynomial.

Problem Set I

1	$-7x^2 - 63$
2	$6x^2 + 27x + 36$
3	_ 8x ² – 128
4	_ x ³ – 25x
5	_ 6x ² + 24x + 36

Problem Set II

1	$2x^2 + 16x + 30$
2	$27x^2 - 3$
3	_ 2x ² y+ 18xy + 40y
4	_ 48ab ² - 300a
5	_ 5x ² + 15x – 140

1.	 $20x^2y^2 - 80y^2$
2.	 $24x^2 + 20x + 4$
3.	 50x ² – 32
4.	 12ad + 15bd – 18cd
5.	 45x ² + 20



Solution Key

Directions: For each polynomial, factor out the GCF and factor the remaining polynomial when possible.

Factoring $akx^2 + bkx + kc$ or $akx^2 - bky^2$.



Step 1: Identify the greatest common factor
Step 2: Divide each term of the polynomial by the GCF.
Step 4: Write the original polynomial in factored form GCF (remaining polynomial)
Step 5: When possible, factor the remaining polynomial.

Problem Set I

1	7x ² - 63	7 (x + 3) (x – 3)
2	$6x^2 + 27x + 36$	3 (2x + 1) (x + 1)
3	8x ² – 128	2 (2x + 8) (2x - 8)
4	x ³ – 25x	x (x + 5) (x – 5)
5	$6x^2 + 24x + 36$	6 (x^2 + 4x + 6)
Problem Set II		
1	$2x^2 + 16x + 30$	2 (x + 3) (x + 5)
2	$27x^2 - 3$	3 (3x + 1) (3x – 1)
3	2x²y+ 18xy + 40y	2y (x + 4) (x + 5)
4	48ab² - 300a	3a (4b + 10) (4b – 10)
5	5x ² + 15x – 140	5 (x + 7) (x – 4)

1.	 $20x^2y^2 - 80y^2$	$20y^{2}(x+2)(x-2)$
2.	 $24x^2 + 20x + 4$	4 (2x + 1) (3x + 1)
3.	 50x ² – 32	2 (5x + 4) (5x - 4)
4.	 12ad + 15bd – 18cd	3d (4a + 5b – 6c)
5.	 45x ² + 20	5 (9x ² + 4)



Name	
Period	
Date	

Directions: For each polynomial, factor out the GCF and factor the remaining polynomial when possible.

Factoring $akx^2 + bkx + kc$ or $akx^2 - bky^2$.



Step 1: Identify the greatest common factor
Step 2: Divide each term of the polynomial by the GCF.
Step 4: Write the original polynomial in factored form GCF (remaining polynomial)
Step 5: When possible, factor the remaining polynomial.

Problem Set I

1	8x ² - 32
2	$36x^2 + 24x + 4$
3	8x ² - 50
4	x ³ – 121x
5	6x ² + 30x + 36

Problem Set II

1	$2x^2 + 20x + 42$
2	45x ² – 5
3	2x²y+ 22xy + 60y
4	3ab² - 300a
5	2x ² – 22x + 56

1.	 $5x^2y^2 - 20y^2$
2.	 $12x^2 + 22x + 6$
3.	 $200x^2 - 50$
4.	 15rv + 15sv – 45tv
5.	 $5x^2 + 5x^2 + 10x$



Solution Key

Directions: For each polynomial, factor out the GCF and factor the remaining polynomial when possible.

Factoring $akx^2 + bkx + kc$ or $akx^2 - bky^2$.



Step 1: Identify the greatest common factor
Step 2: Divide each term of the polynomial by the GCF.
Step 4: Write the original polynomial in factored form GCF (remaining polynomial)
Step 5: When possible, factor the remaining polynomial.

Problem Set I

1	8x ² - 32	8 (x + 2) (x – 2)
2	$36x^2 + 24x + 4$	4 (3x + 1) (3x + 1)
3	8x ² – 50	2 (2x + 5) (2x – 5)
4	x ³ – 121x	x (x + 11) (x – 11)
5	$6x^2 + 30x + 36$	6 (x ² + 5x + 6)
Problem Set II		
1	$2x^2 + 20x + 42$	2 (x + 3) (x + 7)
2	45x ² – 5	5 (3x + 1) (3x – 1)
3	$2x^2y + 22xy + 60y$	2y (x + 6) (x + 5)
4	3ab² - 300a	3a (b + 10) (b – 10)
5	2x ² – 22x + 56	2 (x-7) (x-4)

1	$5x^2y^2 - 20y^2$	5y² (x + 2) (x – 2)
2	$12x^2 + 22x + 6$	2 (2x + 3) (3x + 1)
3	200x ² – 50	2 (10x + 5) (10x – 5)
4	15rv + 15sv – 45tv	15v (r + s – 3t)
5	$5x^2 + 5x^2 + 10x$	10x (x + 1)



Algebra to the Core Task Rotation Activity Factoring Out the GCF 8.3.3

Name	
Period	
Date	
Dato	

Directions: Perform each math task.



Factoring $akx^2 + bkx + kc$ or $akx^2 - bky^2$.

Step 1: Identify the greatest common factor
Step 2: Divide each term of the polynomial by the GCF.
Step 4: Write the original polynomial in factored form GCF (remaining polynomial)
Step 5: When possible, factor the remaining polynomial.

Mastery Task:

Factor each polynomial completely.

- 1. 5x²y 45y
- 2. $2x^2 + 22x + 60$
- 3. ab² 2ab 15a

Understanding Task:

Factoring out the GCF is often called the Distributive Property in reverse. Develop an explanation as to why that is so. Use the polynomial below in your explanation.





Interpersonal Task:

Work with a partner. The cost of 3 sandwiches is represented by $24x^2 + 9x + 3$ dollars. Find the cost of 1 sandwich.



If x = fifty cents, does your answer make sense? (no pun intended!)

Self-Expressive Task:

1) Create a polynomial with the following characteristics.

- has the form $ax^3 + bx^2 + cx$
- ^a has the factored form 2x (x + d)(x d).

2) Create a polynomial with the following characteristics.

- has the form $ax^3 + bx^2 + cx$
- ^a has the factored form 5x (x + d)(x + d).



Name _____ Period _____ Date _____

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. If the inequality has only one variable, then find the value of the variable that makes the equation true. If the inequality has two variables, then sketch the line or parabola, on a coordinate plane, that represents the ordered pairs that make the equation true.

Step 2: If the inequality has only one variable, and a < or < sign, sketch a half line (initial point: open \bigcirc , > : shade right, < : shade left). If the inequality has two variables and a < or > sign, sketch a half plane (initial line: dashed -----, > : shade the region north of the line, < : shade the region south of the line) to represent the solution.

Step 3: If the inequality has $a \le or \ge sign$, then sketch a ray (closed point \bullet , \ge : shade right, \le : shade left) or half plane + line (initial line: solid ______, \ge : shade north, \le : shade south) to represent the solution.

Problem Set I: Solve each inequality and sketch the solution on a number line.

1	4x + 10 > 30	< -5 0	+ + + + + + 5	<mark>+ </mark>
2	3x – 1 < 5	< -5 0	 5	
3	$5x - 3 \le -8$	< -5 0	 5	 } 10
4	$10x + 5 \ge 35$	< -5 0	 5	
5	-2x + 6 > 0	< -5 0	 5	<u> </u>





Solution Key

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. If the inequality has only one variable, then find the value of the variable that makes the equation true. If the inequality has two variables, then sketch the line or parabola, on a coordinate plane, that represents the ordered pairs that make the equation true.

Step 2: If the inequality has only one variable, and a < or < sign, sketch a half line (initial point: open \bigcirc , > : shade right, < : shade left). If the inequality has two variables and a < or > sign, sketch a half plane (initial line: dashed -----, > : shade the region north of the line, < : shade the region south of the line) to represent the solution.

Step 3: If the inequality has $a \le or \ge sign$, then sketch a ray (closed point \bullet , \ge : shade right, \le : shade left) or half plane + line (initial line: solid ______, \ge : shade north, \le : shade south) to represent the solution.

Problem Set I: Solve each inequality and sketch the solution on a number line.

1	4x + 10 > 30	< -5 0	+ + 0 + + 5	<mark>+ + + →</mark> + → 10
2	3x – 1 < 5	<mark>< <mark>≮</mark> €</mark> -5 0) 5	+ + + + + → 10
3	$5x - 3 \le -8$	< <mark> </mark>	 5	+ + + + + → 10
4	$10x + 5 \ge 35$	< -5 0	<mark> </mark>	<mark>+ + →</mark> + + → 10
5	-2x + 6 > 0	< -5 0	 	+ + > + > 10





Name _____ Period _____ Date _____

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. If the inequality has only one variable, then find the value of the variable that makes the equation true. If the inequality has two variables, then sketch the line or parabola, on a coordinate plane, that represents the ordered pairs that make the equation true.

Step 2: If the inequality has only one variable, and a < or < sign, sketch a half line (initial point: open \bigcirc , > : shade right, < : shade left). If the inequality has two variables and a \leq or \geq sign, sketch a half plane (initial line: dashed -----, > : shade the region north of the line, < : shade the region south of the line) to represent the solution.

Step 3: If the inequality has $a \le or \ge sign$, then sketch a ray (closed point \bullet , \ge : shade right, \le : shade left) or half plane + line (initial line: solid ______, \ge : shade north, \le : shade south) to represent the solution.

Problem Set I: Solve each inequality and sketch the solution on a number line.

1	2x + 7 > 15	< -5 0	 5	+++++> 10
2	2x – 1 < 11	< -5 0	 5	+++++→ 10
3	3x − 5 <u><</u> 25	< -5 0	 5	+ + + + + > 10
4	5x + 5 ≥ 15	< -5 0	 5	+ + + + + → 10
5	-4x + 6 > 2	< 	 5	+++++> 10





Solution Key

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. If the inequality has only one variable, then find the value of the variable that makes the equation true. If the inequality has two variables, then sketch the line or parabola, on a coordinate plane, that represents the ordered pairs that make the equation true.

Step 2: If the inequality has only one variable, and a < or < sign, sketch a half line (initial point: open \bigcirc , > : shade right, < : shade left). If the inequality has two variables and a < or > sign, sketch a half plane (initial line: dashed -----, > : shade the region north of the line, < : shade the region south of the line) to represent the solution.

Step 3: If the inequality has $a \le or \ge sign$, then sketch a ray (closed point \bullet , \ge : shade right, \le : shade left) or half plane + line (initial line: solid ______, \ge : shade north, \le : shade south) to represent the solution.

Problem Set I: Solve each inequality and sketch the solution on a number line.

1	2x + 7 > 15	< -5 0	+ 0 5	<mark>+++→</mark> +→ 10
2	2x – 1 < 11	< ∢ -5 0	<mark>+ + + ⊕ +</mark> 5	+ + + + + → 10
3	3x − 5 ≤ 25	< 	- 5	<mark>+ + ↓ + + →</mark> 10
4	5x + 5 ≥ 15	< -5 0	5	+++++ 10
5	4x + 6 > 2	< < + + + + + + + + + + + + + + + + + + 	+ + + + + 5	+ + + + + > 10





Algebra to the Core Practice Makes Perfect Graphing Compound Inequalities with One Variable 9.3

	Name	
	Period	
lities	Date	

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of a compound inequality with one variable:



Step 1: Solve the inequality as if it represents two equations. The two solutions will represent points A and B on a number line.

Step 2: If the compound inequality represents an AND statement (Problem Set I), place points at A and B, using an clear point \bigcirc for < or >, and a solid point \bigcirc for \leq or \geq . Connect points A and B with a line segment.

Step 3: If the compound inequality represents an OR statement (Problem Set II), place points at A and B, using an clear point \bigcirc for < or >, and a solid point \bigcirc for \leq or \geq . Draw two rays and/or half lines extending from A and B.

Problem Set I: Solve each compound inequality and sketch the solution on a number line.







Algebra to the Core Practice Makes Perfect Graphing Compound Inequalities with One Variable 9.3

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of a compound inequality with one variable:



Step 1: Solve the inequality as if it represents two equations. The two solutions will represent points A and B on a number line.

Step 2: If the compound inequality represents an AND statement (Problem Set I), place points at A and B, using an clear point \bigcirc for < or >, and a solid point \bigcirc for \leq or \geq . Connect points A and B with a line segment.

Solution Key

Step 3: If the compound inequality represents an OR statement (Problem Set II), place points at A and B, using an clear point \bigcirc for < or >, and a solid point \bigcirc for \leq or \geq . Draw two rays and/or half lines extending from A and B.

Problem Set I: Solve each compound inequality and sketch the solution on a number line.







Name	
Period	
Date	

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. Sketch the line or parabola, on a coordinate plane. The graph represents the ordered pairs that make the equation true.

Step 2: If the inequality has a < or > sign, sketch the graph using a dashed line ----, and shade the plane region north of the line (>) or south of the line (<) to represent the solution.

Step 3: If the inequality has a \leq or \geq sign, then sketch the graph using a solid line and shade the plane region north of the line (\geq) or south of the line (\leq) to represent the solution.

Problem Set I: Sketch the graph of the solution of each inequality.

1. y > 2x + 4

2. $v > x^2 - 1$





Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. Sketch the line or parabola, on a coordinate plane. The graph represents the ordered pairs that make the equation true.

Step 2: If the inequality has a < or > sign, sketch the graph using a dashed line ----, and shade the plane region north of the line (>) or south of the line (<) to represent the solution.

Step 3: If the inequality has a \leq or \geq sign, then sketch the graph using a solid line and shade the plane region north of the line (\geq) or south of the line (\leq) to represent the solution.

Problem Set I: Sketch the graph of the solution of each inequality.

1. y > 2x + 4

2. $v > x^2 - 1$



Solution Key



Name	
Period	
Date	

Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. Sketch the line or parabola, on a coordinate plane. The graph represents the ordered pairs that make the equation true.

Step 2: If the inequality has a < or > sign, sketch the graph using a dashed line -----, and shade the plane region north of the line (>) or south of the line (<) to represent the solution.

Step 3: If the inequality has a \leq or \geq sign, then sketch the graph using a solid line and shade the plane region north of the line (\geq) or south of the line (\leq) to represent the solution.

Problem Set I: Sketch the graph of the solution of each inequality.

1. $y \le 2x + 4$

2. $y \ge |x|$





Directions: Sketch the graph of the solution of each inequality.

Graphing the solution of an inequality:



Step 1: Solve the inequality as if it is an equation. Sketch the line or parabola, on a coordinate plane. The graph represents the ordered pairs that make the equation true.

Step 2: If the inequality has a < or > sign, sketch the graph using a dashed line ----, and shade the plane region north of the line (>) or south of the line (<) to represent the solution.

Step 3: If the inequality has a \leq or \geq sign, then sketch the graph using a solid line and shade the plane region north of the line (\geq) or south of the line (\leq) to represent the solution.

Problem Set I: Sketch the graph of the solution of each inequality.

1. $y \le .5x + 2$

2. $y \ge |x|$



Solution Key



Algebra to the Core Task Rotation Activity Solving Inequalities 9.6

Name _____ Period _____ Date _____

Directions: Perform each math task.

Solving an Inequality



- The process of solving an equation delivers solutions that make the equation true. That is, solutions that make the left side equal to the right side.
- The process of solving an inequality also delivers solutions that make the inequality true. However, these solutions make one side greater than, less than, greater than and equal to, or less than and equal to the other side.



Mastery Task:

Solve and graph each inequality.

- 1. 2x + 6 > 10
- 2. $5x \le -20$ or x + 6 > 8
- 3. y > x + 5

Understanding Task:

The graph of the inequality y > .5x + 4 contains a dashed line and a shaded plane region. Explain the significance of the dashed line <u>and</u> the shaded region.



Interpersonal Task:

A football game is in the fourth quarter and the home team is down 34 - 21. Assume the visiting team does not score any more points, and the home team gets the ball three more times and scores points on all three drives. Work with a partner and create a double inequality that expresses the number of points the home team can score from this point forward. Create a double inequality that represents the number of points the home team can score and win the game. Create a double inequality that represents the number of points the home team can score and lose the game.

Self-Expressive Task:

Create three different word problems that each reflect a real-world problem. The problems should span three of the four different kinds of inequalities shown below. Solve your problems and graph the solutions.

ax + b >, ≥, <, ≤ c
a c <, ≤ ax + b <, ≤ d
ax + b >, ≥, <, ≤ c OR
ex + f >, ≥, <, ≤ d
y >, ≥, <, ≤ mx + b

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Algebra to the Core Practice Makes Perfect Working with Square Roots 10.1

Name	
Period	
Date	

Directions: Use the Rules of square roots to perform the indicated operations, and to simplify your answers and expressions..



Problem Set I:

1. _____ $\sqrt{121} + \sqrt{225}$ 2. _____ $\sqrt{20}$ 3. _____ $\sqrt{32} \div \sqrt{2}$ 4. _____ $4\sqrt{5} + 3\sqrt{5}$ 5. _____ $144^{1/2} - 100^{1/2}$

Problem Set II:

1. _____ $\sqrt{256} + \sqrt{400}$ 2. _____ $\sqrt{18}$ 3. _____ $\sqrt{72} \div \sqrt{2}$ 4. _____ $8\sqrt{3} + 2\sqrt{3}$ 5. _____ $144^{1/2} - 100^{1/2}$

Problem Set III:

1. _____ $\sqrt{289} + \sqrt{324}$ 2. _____ $\sqrt{50}$ 3. _____ $\sqrt{32} \div \sqrt{8}$ 4. _____ $5\sqrt{9} - 2\sqrt{9}$ 5. _____ $361^{1/2} - 324^{1/2}$



Algebra to the Core Practice Makes Perfect Working with Square Roots 10.1

Solution Key

Directions: Use the Rules of square roots to perform the indicated operations, and to simplify your answers and expressions..

TH	INK

Rules of Square Roots:	
\sqrt{a} = b if and only if b (b) = a	$\sqrt{a} = a^{1/2}$
$\sqrt{ab} = \sqrt{a} \cdot \sqrt{b}$	$m \sqrt{a} + n \sqrt{a} = (m+n) \sqrt{a}$
$\sqrt{a/b} = \sqrt{a} / \sqrt{b}$	

Problem Set I:

1	$\sqrt{121} + \sqrt{225}$	11 + 15 = 26
2	$\sqrt{20}$	$\sqrt{4 \cdot 5} = 2\sqrt{5}$
3	$\sqrt{32} \div \sqrt{2}$	$\sqrt{16} = 4$
4	$4\sqrt{5} + 3\sqrt{5}$	$7\sqrt{5}$
5	144 ^{1/2} - 100 ^{1/2}	12 + 10 = 22

Problem Set II:

1	$\sqrt{256} + \sqrt{400}$	16 + 20 = 36
2	\sqrt{18}	$\sqrt{9 \cdot 2} = 3\sqrt{2}$
3	$\sqrt{72} \div \sqrt{2}$	$\sqrt{36} = 6$
4	$8\sqrt{3} + 2\sqrt{3}$	10 √ 3
5	196 ^{1/2} – 121 ^{1/2}	14 – 11 = 3

1	<u>√289</u> + √ <u>324</u>	17 + 18 = 35
2	$\sqrt{50}$	$\sqrt{25 \cdot 2} = 5\sqrt{2}$
3	$\sqrt{32} \div \sqrt{8}$	$\sqrt{4} = 2$
4	$5\sqrt{9} - 2\sqrt{9}$	3 √ 9 = 3 (3) = 9
5	361 ^{1/2} - 324 ^{1/2}	19 – 18 = 1



Algebra to the Core Practice Makes Perfect Working with Square Roots 10.2

Name	
Period	
Date	

Directions: Use the Rules of square roots to perform the indicated operations, and to simplify your answers and expressions..



Problem Set I:

1. _____ $\sqrt{81} + \sqrt{100}$ 2. _____ $\sqrt{48}$ 3. _____ $\sqrt{98} \div \sqrt{2}$ 4. _____ $5\sqrt{8} + 5\sqrt{8}$ 5. _____ $25^{1/2} - 49^{1/2}$

Problem Set II:

1. _____
$$\sqrt{121} + \sqrt{324}$$

2. _____ $\sqrt{44}$
3. _____ $\sqrt{60} \div \sqrt{15}$
4. _____ $3\sqrt{6} + 9\sqrt{6}$
5. _____ $32^{1/2} - 8^{1/2}$

Problem Set III:

1. _____ $\sqrt{289} + \sqrt{256} - \sqrt{144}$ 2. _____ $\sqrt{300}$ 3. _____ $\sqrt{75} \div \sqrt{15}$ 4. _____ $1\sqrt{1} - 1\sqrt{1}$ 5. _____ $.5^{1/2} + 1^{1/2}$


Algebra to the Core Practice Makes Perfect Working with Square Roots 10.2

Solution Key

Directions: Use the Rules of square roots to perform the indicated operations, and to simplify your answers and expressions..



Rules of Square Roots:	
\sqrt{a} = b if and only if b (b) = a	$\sqrt{a} = a^{1/2}$
$\sqrt{ab} = \sqrt{a} \cdot \sqrt{b}$	m \sqrt{a} + n \sqrt{a} = (m+n) \sqrt{a}
$\sqrt{a/b} = \sqrt{a} / \sqrt{b}$	

Problem Set I:

1	$\sqrt{81} + \sqrt{100}$	9 + 10 = 19
2	$\sqrt{48}$	$\sqrt{16 \cdot 3} = 4\sqrt{3}$
3	$\sqrt{98} \div \sqrt{2}$	$\sqrt{49} = 7$
4	$5\sqrt{8} + 5\sqrt{8}$	$10\sqrt{8} = 10\sqrt{9 \cdot 2} = 10(3)\sqrt{2} = 30\sqrt{2}$
5	25 ^{1/2} - 49 ^{1/2}	5 - 7 = -2

Problem Set II:

1	√121 + √324	11 + 18 = 29
2	$\sqrt{44}$	$\sqrt{4 \cdot 11} = 2\sqrt{11}$
3	$\sqrt{60} \div \sqrt{15}$	$\sqrt{4} = 2$
4	$3\sqrt{6} + 9\sqrt{6}$	12 √ <u>6</u>
5	32 ^{1/2} – 8 ^{1/2}	$\sqrt{32} - \sqrt{8} = \sqrt{16(2)} - \sqrt{4(2)} = (4-2)\sqrt{2} = 2\sqrt{2}$

Problem Set III:

1.	 <u>√289</u> + <u>√256</u> – <u>√144</u>	17 + 16 - 12 = 21
2.	 √300	$\sqrt{100 \cdot 3} = 10\sqrt{3}$
3.	 $\sqrt{75} \div \sqrt{15}$	$\sqrt{5}$
4.	 $1\sqrt{1} - 1\sqrt{1}$	0
5.	 .5 ^{1/2} + 1 ^{1/2}	.25 + 1 = 1.25



Algebra to the Core **Task Rotation Activity** Working with Square Roots 10.3

Name	
Period	
Fenou	
Date	

Directions: Perform each math task.

Rules of Square Roots:



\sqrt{a} = b if and only if b (b) = a	$\sqrt{a} = a^{1/2}$
$\sqrt{ab} = \sqrt{a} \cdot \sqrt{b}$	$m \sqrt{a} + n \sqrt{a} = (m+n) \sqrt{a}$
$\sqrt{a/b} = \sqrt{a} / \sqrt{b}$	

Mastery Task:

Simplify each expression.

1.
$$\sqrt{8} + \sqrt{18}$$

2.
$$\sqrt{162} \div \sqrt{2}$$

121^{1/2} + 144^{1/2} - 100^{1/2} 3.



Interpersonal Task:

In math, the square root of a number n is generally written using the notation \sqrt{n} . in computer programming and spread sheet applications, the square root of a number n is generally written using the notation sqr [n]. Which notation do you like better? Why? If you have access to a computer with a spreadsheet application, try out the sqr [] notation and see if it works.

Understanding Task:

In math, $\sqrt{25} = 5$. While it is true that -5(-5) = 25, the plain square root symbol refers to the positive root. The notation $\pm \sqrt{25}$ delivers the numbers 5 and -5. When solving an equation, the act of solving $x^2 = n$, delivers the answer $x = \pm \sqrt{n}$ by rule. Use this fact to solve the equation $2x^2 + 12 = 20$ for x.

Self-Expressive Task:

For each expression below, find numeric values for a, b, and c that make the expressions = $8\sqrt{2}$.

- $a \sqrt{18} + b \sqrt{8} c \sqrt{32}$
- $a\sqrt{50}$ + $b\sqrt{128}$ $c\sqrt{200}$